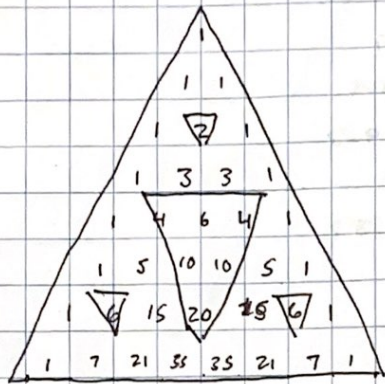


①



It becomes a fractal when we look at the pattern of evens and odds appearing within the triangle. It is a fractal because this pattern will occur on an a smaller / larger scale.

② [ON NEXT PAGE]

③ Two mathematical constants which both express ratios in a bifurcation diagram for a nonlinear map $\approx 0.46692016 \dots$

$$x_{n+1} = d x_n (1 - x_n)$$

(i) $d = 1$; $x_0 = 0.5$:

$x_1 = 0.25$	$x_6 = 0.0998121667$
$x_2 = 0.1817$	$x_7 = 0.08984969808$
$x_3 = 0.15234375$	$x_8 = 0.08177672983$
$x_4 = 0.1291351318$	$x_9 = 0.075089629$
$x_5 = 0.1124542495$	$x_{10} = 0.06945089387$

TENDS TO SINGLE NUMBER

LIMIT POINTS: 0 (not sure)

(ii) $d = 2.5$; $x_0 = 0.5$

$x_1 = 0.625$	$x_6 = 0.5991635438$
$x_2 = 0.585937$	$x_7 = 0.600416479$
$x_3 = 0.6065368652$	$x_8 = 0.5997913269$
$x_4 = 0.5966247409$	$x_9 = 0.6001042277$
$x_5 = 0.6016591486$	$x_{10} = 0.599947859$

TENDS TO SINGLE NUMBER

LIMITING POINTS: 0.6 (not sure)

(iii) $d = 8.1$; $x_0 = 0.5$:

$x_1 = 0.775$	$x_6 = 0.5531711928$
$x_2 = 0.5405625$	$x_7 = 0.7662357552$
$x_3 = 0.7698995191$	$x_8 = 0.5552674202$
$x_4 = 0.5491781737$	$x_9 = 0.765531088$
$x_5 = 0.7675026724$	$x_{10} = 0.556429048$

TENDS TO SINGLE NUMBER TWO NUMBERS

LIMITING POINTS: ~~0.6 & 0.7~~ 0.6 & 0.7 (not sure)

(iv) $d = 3.5$; $x_0 = 0.5$:

$x_1 = 0.875$	$x_6 = 0.3828199027$
$x_2 = 0.3828125$	$x_7 = 0.8269408876$
$x_3 = 0.8269348144$	$x_8 = 0.5008837958$
$x_4 = 0.5008976948$	$x_9 = 0.8749972661$
$x_5 = 0.8749971795$	$x_{10} = 0.3828996767$

TENDS TO 3 NUMBERS

LIMITING POINTS :