

Homework for Lecture 8 of Dr. Z.'s Dynamical Models in Biology class

Email the answers (as .pdf file) to

ShaloshBEkhad@gmail.com

by 8:00pm Monday, Oct. 6,, 2021.

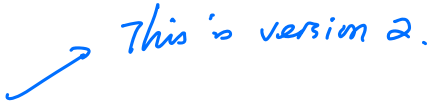
Subject: hw8

with an attachment hw8FirstLast.pdf and/or hw8FirstLast.txt

Using

<http://sites.math.rutgers.edu/~zeilberg/Bio25/DMB8.txt>

1. Find ten random rational functions using `raRF(x,3)`


$$f(x) = \frac{3x^3 + 3x^2 + 7x + 7}{10x^3 + 8x^2 + 3x + 5}$$

For each of them find all the stable steady-states.

0.8620096794 & 0.8620096783

Then using `Orb(f,x,x0,2000,2020)`; for $x_0 = -100.1, -10.1, 10.1, 100.1$

verify that the orbit always converges to that stable steady-state.

2. Find the terms between 2000-th and 2030-th terms of the **orbit** starting at $x_0 = 0.5$ of the recurrence

$$x_n = kx_{n-1}(1 - x_{n-1}) \quad ,$$

for $k = 1, k = 2, k = 2.5, k = 3.1, k = 3.2, k = 3.3, k = 3.5$. What do you find?

3. By Playing “High-Low” find the smallest positive integer such that k ,

`f:=MakeNicePol([1,2,3,4,5,6,7,8],k,x);`

has two stable steady-states. Pick random x_0 from their neighborhood and verify that indeed the orbits converges to them.

Then keep upping k to find the smallest integer such that it has four stable steady-states. Pick random x_0 from their neighborhood and verify that indeed the orbits converges to them.

To Dear grader:

I am so sad that I couldn't continue to finish this assignment because the Maple is always "frozen" and quited by itself.

Above picture is for previous one. And I wouldn't attach the currently vision as below since I couldn't export it as a txt file.

I have no idea with my mistakes on this HW and hope to get more help on solutions.

Finally, have a good night!

Best,

Yan Deng.

