"QUIZ" for Lecture 11

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E-MAIL SCANNED .pdf OF COMPLETED QUIZ to DrZcalc3@gmail.com (Attachment: q11FirstLast.pdf) ASAP BUT NO LATER THAN Oct. 12, 8:00pm Deadline extended to Oct. 17

1. Use Largange multipliers (no credit for other methods) to find the **smallest** value that x+y+z can be, given that xyz=125

can be, given that
$$xyz = 125$$
 $P \triangle (x+y+z) = (1,1,1)$
 $Q \triangle (xyz=125) = (yz, xz, xy)$
 $(1,1,1) = \lambda (yz,xz,xy)$
 $1 = \lambda yz, 1 = \lambda xz, (=\lambda xy)$
 $xyz=125$

$$1 = \lambda^{3} (\chi yz)^{2}$$

$$\lambda yz = \lambda^{3} yz \cdot yz\chi^{2}$$

$$\lambda yz = \lambda yz \cdot \lambda yz \cdot \lambda \chi^{2}$$

$$1 = \lambda \chi^{2}$$

$$\longrightarrow \quad \frac{1}{\lambda} = \chi^2 \quad \chi = \sqrt{\frac{1}{\lambda}}$$

$$\lambda \chi Z = \lambda \chi Z \cdot \lambda \chi Z \cdot \lambda y^{2}$$

$$1 = \lambda y^{2}$$

$$\frac{1}{\lambda} = y^{2} \Rightarrow y = 1$$

$$\frac{1}{\lambda} = 5$$

$$\frac{1}{\lambda} = 25$$

$$\frac{1}{\lambda} \cdot 1$$

$$\frac{1}{\lambda} \cdot 1$$

$$\frac{1}{\lambda} = 125$$

2. Use Largange multipliers (no credit for other methods) to find the **largest** value that xyz can be, given that x + y + z = 15

all same work as #1
$$() x = y = 2 = 1/\lambda = 5$$

$$5+5+5=15$$

$$P(5,5,6)$$

645+5= 15

Not sure what it means to only have one value