E-MAIL SCANNED .pdf OF COMPLETED QUIZ to DrZcalc3@gmail.com (Attachment: q11FirstLast.pdf) ASAP BUT NO LATER THAN Oct. 12, 8:00pm Deadline extended to Oct. 17

1. Use Largange multipliers (no credit for other methods) to find the **smallest** value that x + y + z can be, given that xyz = 125

$$\nabla f = \langle 1, 1, 1 \rangle \quad \nabla g = \langle y_{2}, x_{2}, x_{y} \rangle$$

$$\langle 1, 1, 1 \rangle \cdot L = \langle y_{2}, x_{2}, x_{y} \rangle$$

$$L = y_{2} \quad L = x_{2} \quad L = x_{y} \quad x_{y} \ge = 125$$

$$L^{3} = x^{2}y^{2}z^{2} \quad \sqrt{L^{3}} = x_{y}z \quad L^{3/2} = -125$$

$$(x, y, z) = (5, 5, 5) \quad L = 25$$

$$Smallest: \quad f(5, 5, 5) = 15$$

2. Use Largange multipliers (no credit for other methods) to find the **largest** value that xyz can be, given that x + y + z = 15

$$abla f = \langle y_2, x_2, x_y \rangle \quad \nabla g(1, 1, 1) \\
\langle y_2, x_2, x_y \rangle = L \cdot \langle 1, 1, 1 \rangle \\
y_2 = L \quad x_2 = L \quad x_y = L \quad x + y + 2 = 15 \\
(x, y_1 z) = (5, 5, 5) \\
Largest: f(5, 5, 5) = 125$$