

#ATTENDANCE QUIZ FOR LECTURE 3 of Dr. Z.'s Math336 Rutgers University

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#Subject: p3

#Right after attending the lecture, but no later than 4:00pm that day

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LIST ALL THE ATTENDANCE QUESTIONS FOLLOWED (IF YOU KNOW THEM) BY THE ANSWERS

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#
#ATTENDMACE QUESTION NUMBER 1: SIR model
#
#
#Property 1: If  $y_1(t)$  is a solution that so is  $C*y_1(t)$  for any constant
#
#FORMAT OF A LINEAR DIFFERENTIAL EQUATION IS
#
# $a_0(t)*y(t)+a_1(t)*y'(t)+...+ a_k(t)*y^{(k)}(t)=0$  GENERAL LINEAR DIFF. EQ.
#
# $a_0(t)*(C*y_1)(t)+a_1(t)*(C*y_1)'(t)+...+ a_k(t)*(C*y_1)^{(k)}(t)=0$ 
> # $C*(a_0(t)*y_1(t)+a_1(t)*y_1'(t)+...+ a_k(t)*y_1^{(k)}(t))=0$ 
#
#ATTENDANCE QUESTION 2:
#
#
#WHY IS THIS PROPERTY NOT TRUE FOR  $y'(t)=y(t)^2$ 
#
#Lemma 2: If  $y_1(t)$  and  $y_2(t)$  are two different solutions of a LINEAR (HOMOG.) Diff. Eq. THEN
# $y_1(t)+y_2(t)$ 
#
# $a_0(t)*y_1(t)+a_1(t)*y_1'(t)+...+ a_k(t)*y_1^{(k)}(t)=0$ 
## $a_0(t)*y_2(t)+a_1(t)*y_2'(t)+...+ a_k(t)*y_2^{(k)}(t)=0$ 
#HTP:
# $a_0(t)*(y_1(t)+y_2(t))+a_1(t)*(y_1(t)+y_2(t))'+...+ a_k(t)*(y_1(t)+y_2(t))^{(k)}=0$ 
## $a_0(t)*(y_1(t)+y_2(t))+a_1(t)*(y_1'(t)+y_2'(t))+...+ a_k(t)*(y_1^{(k)}(t)+y_2^{(k)}(t))=0$ 
#
#
> #
#NEXT ATTENDANCE QUESTION:
#a1:=the fifth digit of your DUID (if it 0 make it 1)
#a2:=the first digit
#a3:=second digit
#
> #solve by hand and Maple the diff. eq.
#a1*y''(t)-a2*y'(t)+a3*y(t)=0, y(0)=0, y'(0)=0
#
#
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#NEXT ATTENDANCE QUESTION: WHY IS THE PROERPTY THAT IF a(n) is a solution so is C*a(n) not valid for
#the NON-LINEAR RECURRENCE
#a(n)=a(n-1)^2
#
#a(n)=r^n: TRIAL SOLUTION
#
#r^n-5*r^(n-1)+6*r^(n-2)=0
#
#(1-5*r^(-1)+6)*r^(-2))*r^n=0 DIVIDE by r^(n-2)
#
#REPLACE a(n) by 1,a(n-1) by 1/r a(n-2) by 1/r^2 etc.
#
#CHARACTERISTIC EQUATION FOR the CONSTANT COEFF. LINEAR HOMOG. DIFFERENCE EUQATION
#
#1-5/r+6/r^2=0
> #r^2-5*r+6=0
#(r-3)*(r-2)=0 r=2, r=3
#
#G.S. a(n)= C1*2^n + C2*3^n C1,C2, tbd
#
#1=C1+C2 5=2*C1+3*C2
solve({C1+C2=1, 2*C1+3*C2=5},{C1,C2});

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{C1 = -2, C2 = 3}