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> #Deven Singh
#Assignment 22
# Do not post

> #Q1
# In class, I was told by Dr. Z I correctly completed every question on the attendance quiz
> #Q2
#2a
> #Orb2( $F, x, y, pt, K1, K2$ ): Inputs a mapping  $F=[f,g]$  from  $R^2$  to  $R^2$  where  $f$  and  $g$  describe
functions of  $x$  and  $y$ , an initial point  $pt0=[x0,y0]$ 
#outputs the orbit starting at discrete time  $K1$  and ending in discrete time  $K2$ . Try
# $F:=RT2(x,y,2,10);$ 
# $Orb2(F,x,y,[1.1,1.2],1000,1010);$ 
 $Orb2 := \text{proc}(F, x, y, pt0, K1, K2) \text{ local } pt, L, i :$ 
 $pt := pt0 :$ 

for  $i$  from 1 to  $K1$  do
 $pt := \text{subs}(\{x=pt[1], y=pt[2]\}, F) :$ 
od:

 $L := [] :$ 
for  $i$  from  $K1 + 1$  to  $K2$  do
 $L := [op(L), pt] :$ 
 $pt := \text{subs}(\{x=pt[1], y=pt[2]\}, F) :$ 

od:
 $L :$ 
end:
>  $Orb2([2\cdot x + 3\cdot y, 3\cdot x + y], x, y, [20, 10], 0, 10);$ 
[[20, 10], [70, 70], [350, 280], [1540, 1330], [7070, 5950], [31990, 27160], [145460, 123130], (1)
 [660310, 559510], [2999150, 2540440], [13619620, 11537890]]

> # 13,619,620 lynxes and 11,537,890 hares
>  $\text{help}(dsolve);$ 
> #Dis2( $F, x, y, pt, h, A$ ): The approximate orbit of the Dynamical system approximating the 2D for the
autonomous continuous dynamical process
# $dx/dt=F[1](x(t),y(t))$ 
# $dy/dt=F[2](x(t),y(t))$  ,  $x(0)=pt[1]$ ,  $y(0)=pt[2]$  with mesh size  $h$  from  $t=0$  to  $t=A$ 
 $Dis2 := \text{proc}(F, x, y, pt, h, A) \text{ local } L, i :$ 

 $L := Orb2([x + h * F[1], y + h * F[2]], x, y, pt, 0, \text{trunc}(A/h)) :$ 

 $L := [\text{seq}([i * h, [L[i][1], L[i][2]]], i = 1 .. \text{nops}(L))] :$ 
end:
>  $Dis2([2\cdot x + 3\cdot y, 3\cdot x + y], x, y, [20, 10], 1, 10);$ 
[[1, [20, 10]], [2, [90, 80]], [3, [510, 430]], [4, [2820, 2390]], [5, [15630, 13240]], [6,
[86610, 73370]], [7, [479940, 406570]], [8, [2659530, 2252960]], [9, [14737470,

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| 12484510]], [10, [81665940, 69181430]]]
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|> # 81,665,940 lynxes and 69,181,430 hares
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|> # Will make up 3,4,5
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