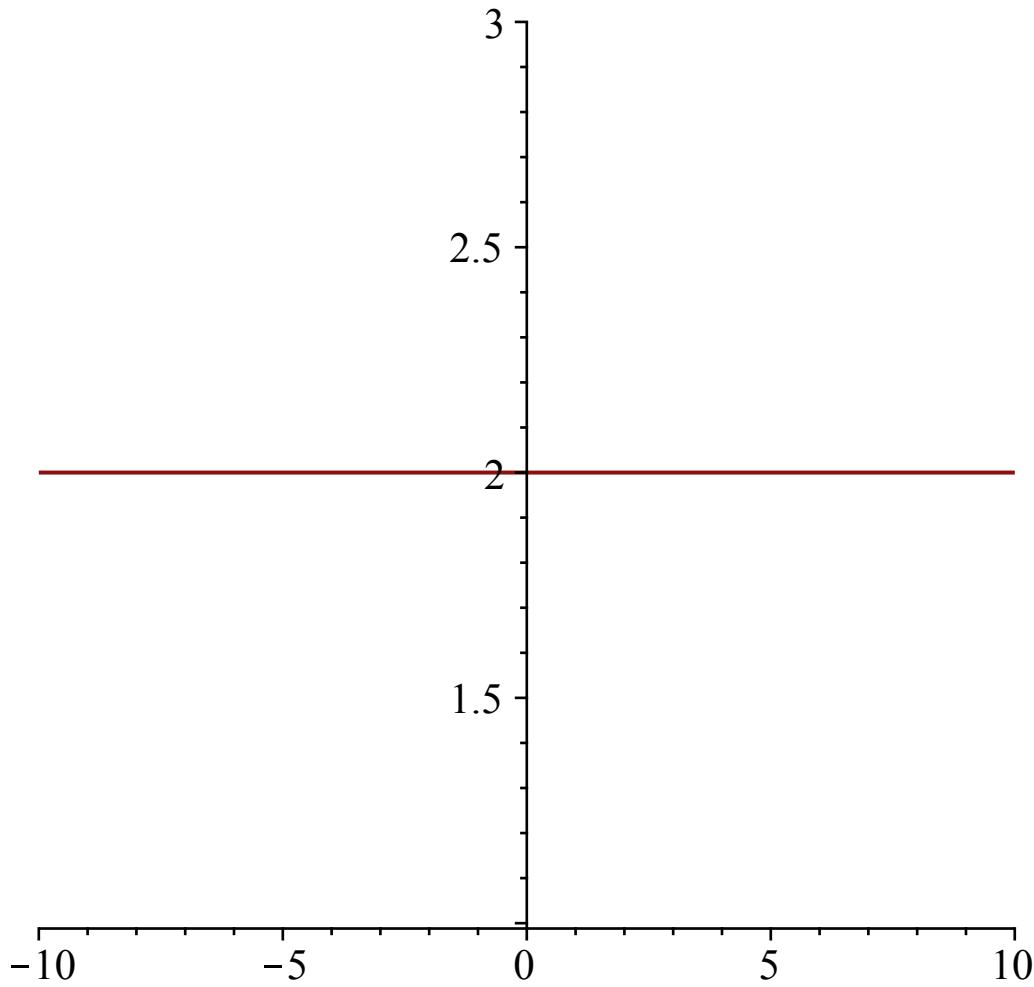


```

> #Please do NOT post Homework
#Jeton Hida, Assignment 15, October 25, 2021
read "/Users/jeton/Desktop/Math 336/M15.txt"
> #Number 2
#i.
> ode:=(diff(x(t),t))=(2-x(t))(2-x(t))(6-x(t))
      
$$ode := \frac{d}{dt} x(t) = 2 - x(t)(2 - x(t))(6 - x(t))$$
 (1)
> ics:=x(0)=2
      
$$ics := x(0) = 2$$
 (2)
> dsolve({ics,ode})
      
$$x(t) = 2$$
 (3)
> ics1:=x(0)=4
      
$$ics1 := x(0) = 4$$
 (4)
> dsolve({ics1,ode})

$$x(t) = RootOf\left(t + \int_0^{-z} \frac{1}{-2 + _a(2 - _a)(6 - _a)} \, d_a - \left(\int_0^4 \frac{1}{-2 + _a(2 - _a)(6 - _a)} \, d_a\right)\right)$$
 (5)
> plot(2)

```



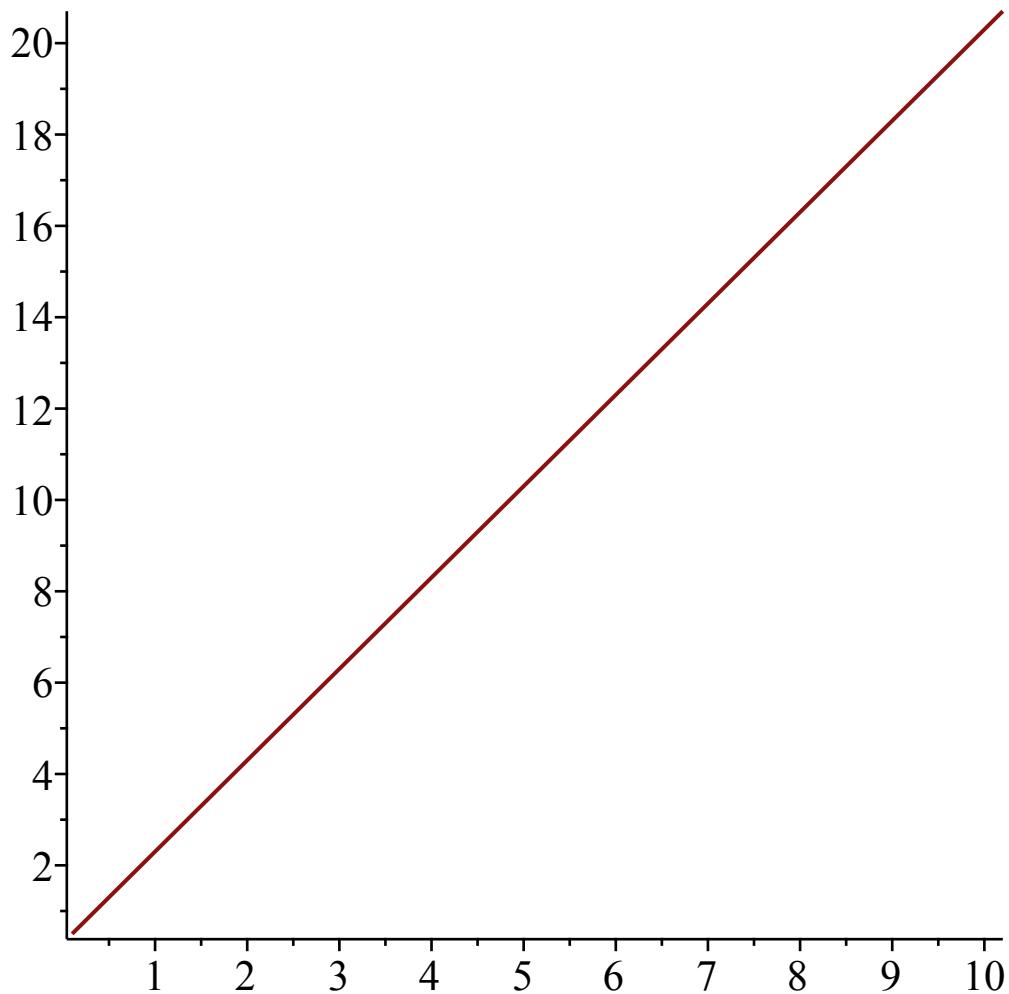
```

> plot(RootOf(t + Int(1/(-2 + _a(2 - _a)(6 - _a)), _a = 0 .. _z) -
Int(1/(-2 + _a(2 - _a)(6 - _a)), _a = 0 .. 4)), t=0..5)
Error, (in plot) incorrect first argument RootOf(t+Int(1/(-2+_a(2-
_a))(6-_a)), _a = 0 .. _z)-(Int(1/(-2+_a(2-_a))(6-_a)), _a = 0 ..
4)))
> #Second solution will not plot
> #ii.
> print(Dis1)
proc(F,y,y0,h,A)                                         (6)
  local L,x,i;
  L := Orb(x + h * subs(y=x,F),x,y0,0,trunc(A/h));
  L := [seq([i*h,L[i]],i=1..nops(L))]
end proc
> L:=Dis1(2,y,.5,.1,10)
L := [[0.1, 0.5], [0.2, 0.7], [0.3, 0.9], [0.4, 1.1], [0.5, 1.3], [0.6, 1.5], [0.7, 1.7], [0.8, 1.9], (7)
  [0.9, 2.1], [1.0, 2.3], [1.1, 2.5], [1.2, 2.7], [1.3, 2.9], [1.4, 3.1], [1.5, 3.3], [1.6, 3.5],
  [1.7, 3.7], [1.8, 3.9], [1.9, 4.1], [2.0, 4.3], [2.1, 4.5], [2.2, 4.7], [2.3, 4.9], [2.4, 5.1],

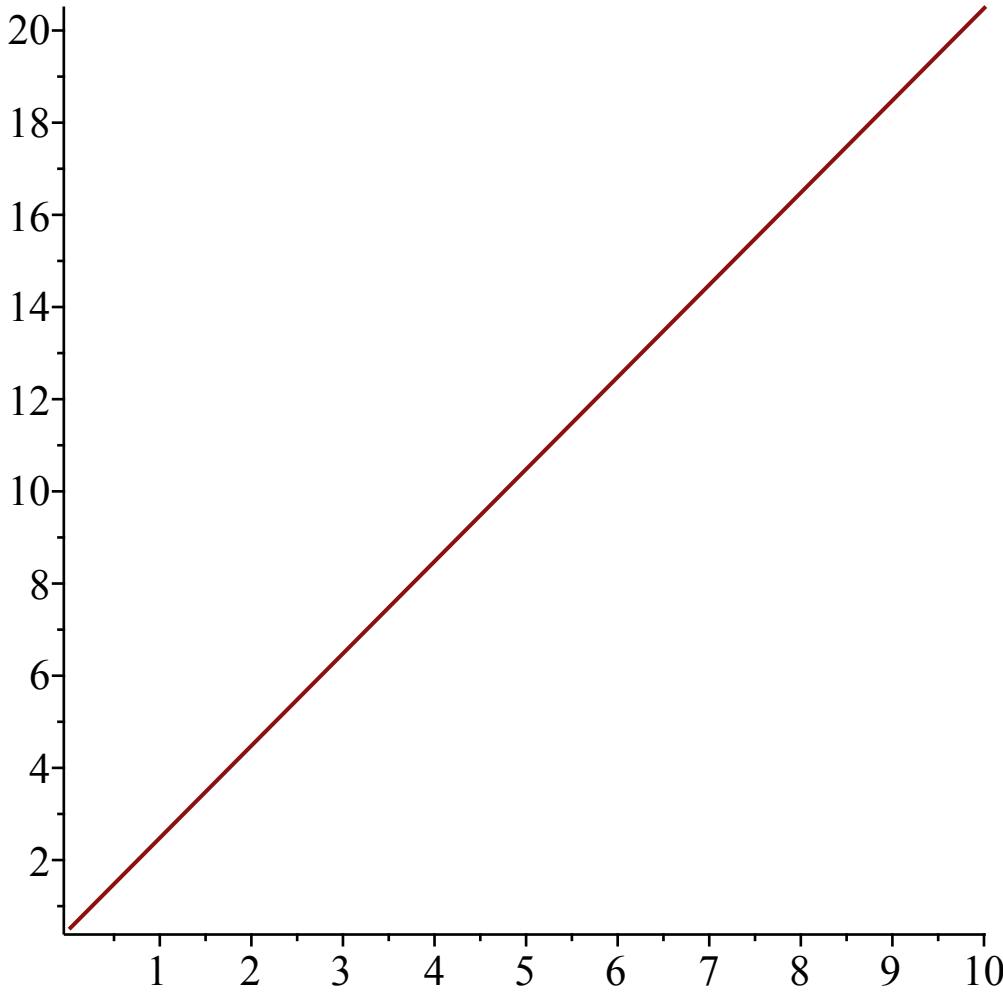
```

```
[2.5, 5.3], [2.6, 5.5], [2.7, 5.7], [2.8, 5.9], [2.9, 6.1], [3.0, 6.3], [3.1, 6.5], [3.2, 6.7],  
[3.3, 6.9], [3.4, 7.1], [3.5, 7.3], [3.6, 7.5], [3.7, 7.7], [3.8, 7.9], [3.9, 8.1], [4.0, 8.3],  
[4.1, 8.5], [4.2, 8.7], [4.3, 8.9], [4.4, 9.1], [4.5, 9.3], [4.6, 9.5], [4.7, 9.7], [4.8, 9.9],  
[4.9, 10.1], [5.0, 10.3], [5.1, 10.5], [5.2, 10.7], [5.3, 10.9], [5.4, 11.1], [5.5, 11.3], [5.6,  
11.5], [5.7, 11.7], [5.8, 11.9], [5.9, 12.1], [6.0, 12.3], [6.1, 12.5], [6.2, 12.7], [6.3, 12.9],  
[6.4, 13.1], [6.5, 13.3], [6.6, 13.5], [6.7, 13.7], [6.8, 13.9], [6.9, 14.1], [7.0, 14.3], [7.1,  
14.5], [7.2, 14.7], [7.3, 14.9], [7.4, 15.1], [7.5, 15.3], [7.6, 15.5], [7.7, 15.7], [7.8, 15.9],  
[7.9, 16.1], [8.0, 16.3], [8.1, 16.5], [8.2, 16.7], [8.3, 16.9], [8.4, 17.1], [8.5, 17.3], [8.6,  
17.5], [8.7, 17.7], [8.8, 17.9], [8.9, 18.1], [9.0, 18.3], [9.1, 18.5], [9.2, 18.7], [9.3, 18.9],  
[9.4, 19.1], [9.5, 19.3], [9.6, 19.5], [9.7, 19.7], [9.8, 19.9], [9.9, 20.1], [10.0, 20.3],  
[10.1, 20.5], [10.2, 20.7]]
```

```
> plot(L)
```



```
> L:=Dis1(2,y,.5,.01,10):  
> plot(L)
```



```

> L:=Dis1(RootOf(t + Int(1/(-2 + _a(2 - _a)(6 - _a)), _a = 0 .. -z) -
Int(1/(-2 + _a(2 - _a)(6 - _a)), _a = 0 .. 4)), y,.5,.1,10):
> Plot(L)
Error, (in Plot) Plot([[.1, .5], [.2, .5+.1*RootOf(t+Int(1/(-2+_a
(2-_a))(6-_a)), _a = 0 .. z)-(Int(1/(-2+_a(2-_a))(6-_a)), _a = 0
.. 4))], [.3, .5+.2*RootOf(t+Int(1/(-2+_a(2-_a))(6-_a)), _a = 0
.. z)-(Int(1/(-2+_a(2-_a))(6-_a)), _a = 0 .. 4))], [.4, .5+.3*
RootOf(t+Int(1/(-2+_a(2-_a))(6-_a)), _a = 0 .. z)-(Int(1/(-2+_a
(2-_a))(6-_a)), _a = 0 .. 4))], [.5, .5+.4*RootOf(t+Int(1/(-2+_a
(2-_a))(6-_a)), _a = 0 .. z)-(Int(1/(-2+_a(2-_a))(6-_a)), _a = 0
.. 4))], [.6, .5+.5*RootOf(t+Int(1/(-2+_a(2-_a))(6-_a)), _a = 0
.. z)-(Int(1/(-2+_a(2-_a))(6-_a)), _a = 0 .. 4))], [.7, .5+...
. (6-_a)), _a = 0 .. z)-(Int(1/(-2+_a(2-_a))(6-_a)), _a = 0 ..
4))))]] is not a valid command; see the plot help page
> L:=Dis1(RootOf(t + Int(1/(-2 + _a(2 - _a)(6 - _a)), _a = 0 .. -z) -
Int(1/(-2 + _a(2 - _a)(6 - _a)), _a = 0 .. 4)), y,.5,.01,10):
> Plot(L)
Error, (in Plot) Plot([[0.1e-1, .5], [0.2e-1, .5+0.1e-1*RootOf(t+
Int(1/(-2+_a(2-_a))(6-_a)), _a = 0 .. z)-(Int(1/(-2+_a(2-_a))(6
-_a)), _a = 0 .. 4))], [0.3e-1, .5+0.2e-1*RootOf(t+Int(1/(-2+_a
(2-_a))(6-_a)), _a = 0 .. z)-(Int(1/(-2+_a(2-_a))(6-_a)), _a = 0
.. 4))], [0.4e-1, .5+0.3e-1*RootOf(t+Int(1/(-2+_a(2-_a))(6-_a)),
_a = 0 .. z)-(Int(1/(-2+_a(2-_a))(6-_a)), _a = 0 .. 4))], [0.5e-1,
.5+0.4e-1*RootOf(t+Int(1/(-2+_a(2-_a))(6-_a)), _a = 0 ..
z)-(Int(1/(-2+_a(2-_a))(6-_a)), _a = 0 .. 4))], [0.6e-1,

```

$$3. i. \quad x(n) = \frac{x(n-1) + 2x(n-2) + 3x(n-3) + 11x(n-4)}{x(n-1) + x(n-3)}$$

$$x(0) = 1, x(1) = 5, x(2) = 5, x(3) = 2$$

$$x_1(n) = f(x_1(n-1), x_1(n-2), x_1(n-3), x_1(n-4))$$

$$x_2(n) = x_1(n-1)$$

$$x_3(n) = x_1(n-2)$$

$$x_4(n) = x_1(n-3)$$

$$x_1(n) = f(x_1(n-1), x_2(n-1), x_3(n-1), x_4(n-1))$$

$$x_1(n) = \frac{x_1(n-1) + 2x_2(n-1) + 3x_3(n-1) + 11x_4(n-1)}{x_1(n-1) + x_3(n-1)}$$

```

.5+0.5e-1*RootOf(t+Int(1/(-2+_a)(2-_a))(6-_a)),_a=0..Z)-(Int
(1/(-2+(_a)(6-_a)),_a=0..Z)-(Int(1/(-2+_a)(2-_a))(6-_a),
_a=0..4)))]) is not a valid command; see the plot help page

```

```

> #Number 3
> #i. found it attached in PDF
> #ii.

> print(ToSys)
proc(k,z,f,INI) local i; [f,seq(z[i-1],i=2..k)] end proc (8)
> ToSys(4,z,(z[1]+2*z[2]+3*z[3]+11*z[4])/ (z[1]+z[3]),[1,5,5,2])
      
$$\left[ \frac{z_1 + 2z_2 + 3z_3 + 11z_4}{z_1 + z_3}, z_1, z_2, z_3 \right] \quad (9)$$


```

```

> #Number 4
> print(Orbk)
proc(k,z,f,INI,K1,K2) (10)
  local L,i,newguy;
  L := INI;
  if not (type(k,integer) and type(z,symbol) and type(INI,list) and nops(INI)=k and
  type(K1,integer) and type(K2,integer) and 0 < K1 and K1 < K2) then
    print(bad input); RETURN(FAIL)
  end if;
  while nops(L) < K2 do
    newguy := subs( {seq(z[i]=L[-i],i=1..k)},f); L := [op(L),newguy]
  end do;
  [op(K1..K2,L)]
end proc

> Orbk(2,z,(1-z[1])*(1-z[2]),[2.5,2.7],1000,1010)
[0.3819660, 0.3819660, 0.3819660, 0.3819660, 0.3819660, 0.3819660, 0.3819660,
 0.3819660, 0.3819660, 0.3819660] (11)

> Digits:=7
Digits := 7 (12)
> F:=ToSys(2,z,(1-z[1])*(1-z[2]),[2.5,2.7])
F := [(1 - z_1) (1 - z_2), z_1] (13)
> SFP2(F,z[1],z[2])
[[0.3819660, 0.3819660]] (14)

```

```

> #Number 5

```

Mother(Rows) Father (Columns)	AA (Frequency u)	Aa (Frequency v)	aa (Frequency w)
AA (Frequency u)	u^2	uv	uw
Aa (Frequency v)	uv	v^2	vw
aa (Frequency w)	uw	vw	w^2

3.1 Mating Table

Type of Parents / Offspring Genotype Frequencies	AA	Aa	aa
AA x AA (u^2)	u^2	0	0
AA x Aa (2uv)	uv	uv	0
AA x aa (2uw)	0	2uw	0
Aa x Aa ($v^2/4$)	$v^2/4$	$v^2/2$	$v^2/4$
Aa x aa (2vw)	0	vw	vw
aa x aa (w^2)	0	0	w^2
	$u^2+uv+(v^2/4)$ (53a)	$uv+2uw+(v^2/2)+vw$ (53b)	$(v^2/4)+vw+w^2$ (53c)

3.2 Offspring Table