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> #Deven Singh
# Assignment 10
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> with(LinearAlgebra) :
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> #2i
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```
> M := Matrix([[[-16/3, 5], [-7, 13/2]]]);
```

$$M := \begin{bmatrix} -\frac{16}{3} & 5 \\ -7 & \frac{13}{2} \end{bmatrix} \quad (1)$$

```
> P := Matrix([[0.3], [0.6]]);
```

$$P := \begin{bmatrix} 0.3 \\ 0.6 \end{bmatrix} \quad (2)$$

```
> M1000 . P;
```

$$\begin{bmatrix} 6.07858099239568 \times 10^{-176} \\ 7.29429719087481 \times 10^{-176} \end{bmatrix} \quad (3)$$

```
> #After 1000 transformations, (x,y) ~ (0,0). Therefore, (0,0) is a stable fixed point.
```

```
> #2ii
```

```
> N := Matrix([[ [92/3, -25], [35, -57/2] ]]);
```

$$N := \begin{bmatrix} \frac{92}{3} & -25 \\ 35 & -\frac{57}{2} \end{bmatrix} \quad (4)$$

```
> N1000 . P;
```

$$\begin{bmatrix} -8.88365229772445 \times 10^{176} \\ -1.03642610140119 \times 10^{177} \end{bmatrix} \quad (5)$$

```
> # After 1000 transformations, (x,y) diverges to negative infinity. Therefore, (0,0) is an unstable fixed point
```

```
> #2iii
```

```
> X := Matrix([[ [-177/4, 75/2], [-105/2, 89/2] ]]);
```

$$X := \begin{bmatrix} -\frac{177}{4} & \frac{75}{2} \\ -\frac{105}{2} & \frac{89}{2} \end{bmatrix} \quad (6)$$

```
> X1000 . P;
```

$$\begin{bmatrix} 8.63623905093621 \times 10^{-125} \\ 1.03634868611234 \times 10^{-124} \end{bmatrix}$$

(7)

> # After 1000 transformations, $(x,y) \sim (0,0)$. Therefore, $(0,0)$ is a stable fixed point.

>