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> #1;
  #The number of females born at n=4 =>  $p1 \cdot c2 + p2 \cdot c1 + p3 \cdot c0 + p2 \cdot c2 + p3 \cdot c1$ ;
> #2;
R3 := proc(n, p1, p2, p3, c0, c1, c2) option remember :
if n = 0 then
  c0;
elif n = 1 then
  c1;
elif n = 2 then
  c2;
else
  expand( $p1 \cdot R3(n - 1, p1, p2, p3, c0, c1, c2) + p2 \cdot R3(n - 2, p1, p2, p3, c0, c1, c2) + p3 \cdot R3(n$ 
     $- 3, p1, p2, p3, c0, c1, c2)$ ) :
fi;
end;
seq(R3(n, 1, 1, 1, 1, 1, 1), n = 1 ..4); # output for n=4;

#3
#Extinction: When total probability:  $p1 + p2 + p3 < 1$ :
seq(R3(n, 0.3, 0.3, 0.3, 1, 1, 1), n = 1000);

#Stable Population: When probability:  $p1 + p2 + p3 = 1$ :
seq(R3(n, 0.4, 0.3, 0.3, 1, 1, 1), n = 1000);

#Population Expolsion: When probability:  $p1 + p2 + p3 > 1$ :
seq(R3(n, 0.5, 0.5, 0.5, 1, 1, 1), n = 1000);

1, 1, 3, 5
2.232967122 10-23
1.000000000
1.276032977 1091

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(1)