

```
#R3(4) = (p1 * R3(3, p1, p2, p3, c0, c1, c2) + p2 * R3(2, p1, p2, p3, c0, c1, c2) + p3 * R3(1, p1, p2,
p3, c0, c1, c2))
```

$R(0) = c0$, $R(1) = c1$, $R(2) = c2$

#expected number of females born at time n

```
> R3 := proc(n, p1, p2, p3, c0, c1, c2) option remember:
if n = 0 then
c0:
elif n = 1 then
c1:
elif n = 2 then
c2:
else
expand(p1 * R3(n - 1, p1, p2, p3, c0, c1, c2) + p2 * R3(n - 2, p1, p2, p3, c0, c1, c2) + p3
* R3(n - 3, p1, p2, p3, c0, c1, c2));
fi:
end:
```

$\text{seq}(R3(i, 1, 1, 1, 1, 1), i = 0 .. 4); \quad 1, 1, 1, 3, 5 \quad (1)$

>

>

> $\text{seq}(R3(i, 0.01, 0.01, 0.01, 1, 1, 1), i = 1000)$
#using values that are very small will lead to population extinction

$1.161296512 \cdot 10^{-629} \quad (2)$

> $\text{seq}(R3(i, .99, .99, .99, 1, 1, 1), i = 1000)$
#using values that are large will lead to population explosion

$3.944437002 \cdot 10^{261} \quad (3)$

> $\text{seq}(R3(i, .5, .5, .5, 1, 1, 1), i = 990 .. 1010)$
#using values around 0.5 will lead to stable population

$1.561649093 \cdot 10^{90}, 1.926687580 \cdot 10^{90}, 2.377054517 \cdot 10^{90}, 2.932695594 \cdot 10^{90},$
 $3.618218845 \cdot 10^{90}, 4.463984477 \cdot 10^{90}, 5.507449457 \cdot 10^{90}, 6.794826388 \cdot 10^{90},$
 $8.383130160 \cdot 10^{90}, 1.034270300 \cdot 10^{91}, 1.276032977 \cdot 10^{91}, 1.574308146 \cdot 10^{91},$
 $1.942305712 \cdot 10^{91}, 2.396323418 \cdot 10^{91}, 2.956468638 \cdot 10^{91}, 3.647548884 \cdot 10^{91},$
 $4.500170470 \cdot 10^{91}, 5.552093996 \cdot 10^{91}, 6.849906675 \cdot 10^{91}, 8.451085571 \cdot 10^{91},$
 $1.042654312 \cdot 10^{92}$